

Napoli
Via Casso

2 Gatt: 99

Quell'ora

Caro Cesare

Qu

Fammi il piacere di scrivermi
la data precisa della tua nascita.

(sezione Porto è vero?) Mi occorre

per la iscrizione elettorale s'intende.

Che faremo per sostituire tua?

Senserei di chiamare del Re.

Che te ne pare?

Ho resto pochi giorni a Napoli poi
verso il 10 corr. vado ad Gola

Liri. Galus.

~~(x+ys) - yz~~

AM
G. Del Negro

dieci
Panni
Reina
Stipendi
Lotte N. 11.
Fidei
Panni

$$\frac{1}{s} = \frac{\alpha + \beta s}{a + bs + cs^2}$$

$$s = \frac{a + bs + cs^2}{\alpha + \beta s}$$

$$s = ks$$

$$s = a \frac{s}{z}$$

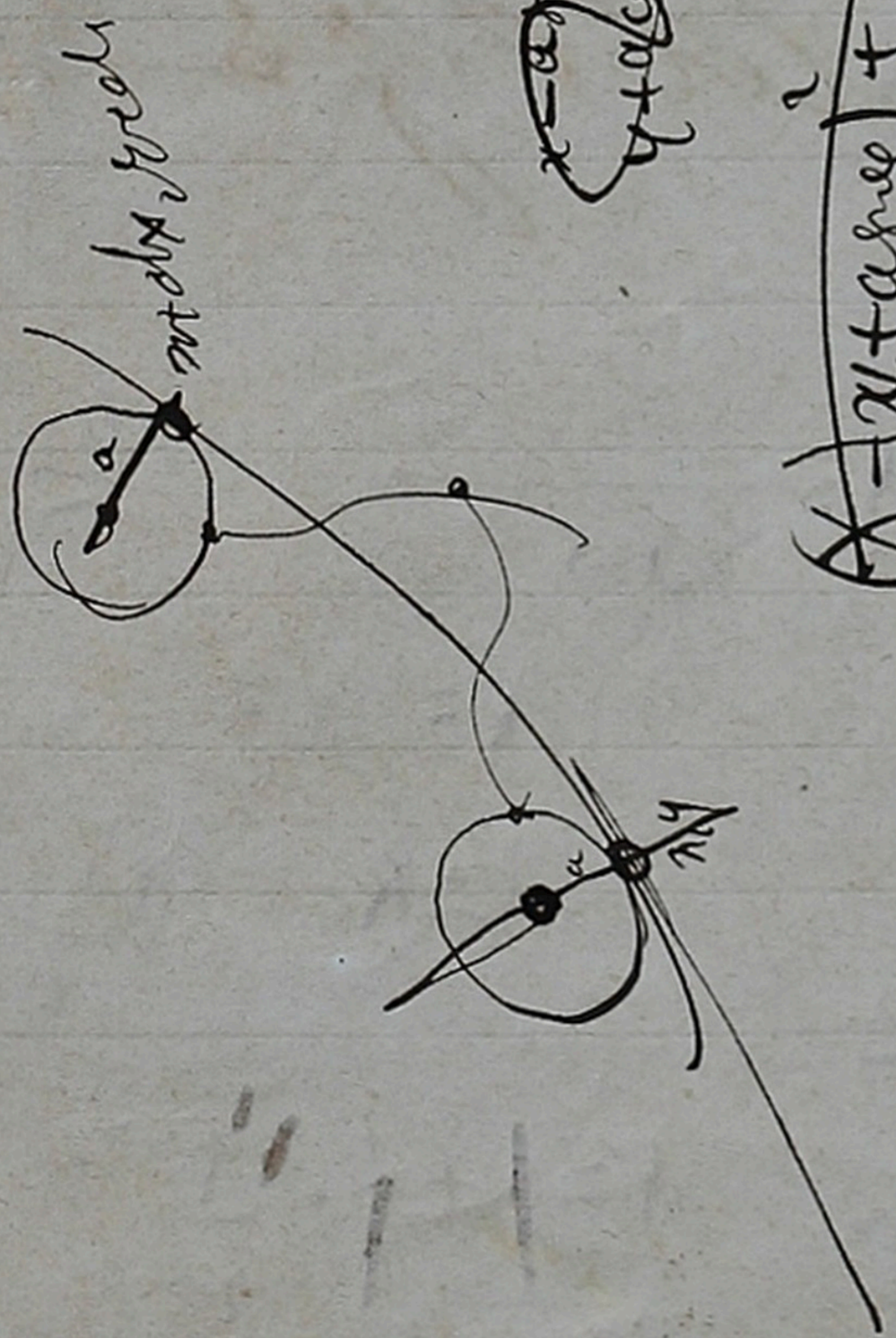
$$s = \frac{ka}{z}$$

$$z = ka$$

$$\begin{cases} s = a + \frac{1}{z} \\ s = ks \end{cases}$$

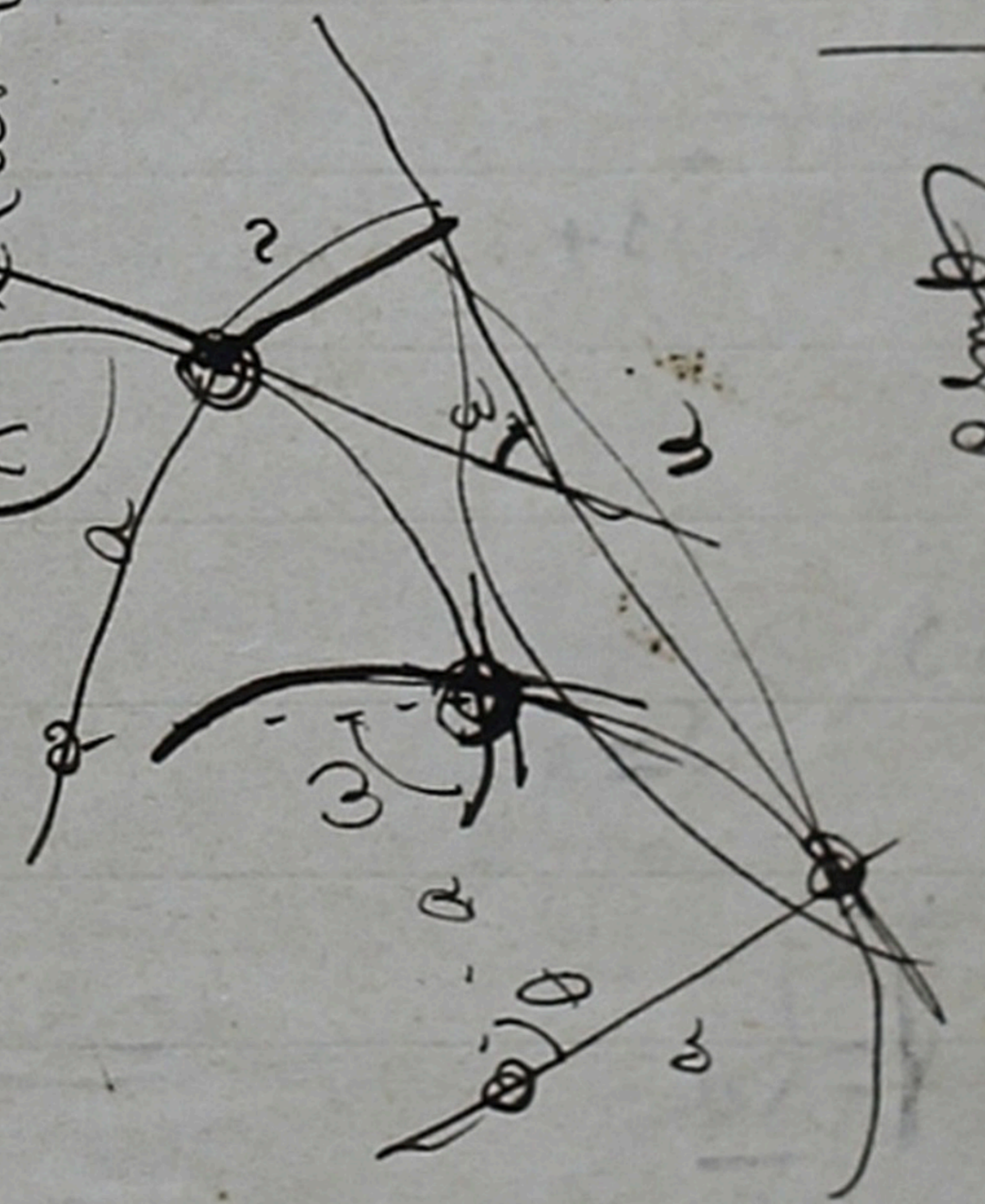
$$\frac{s^2 + z^2}{s z^2} = \frac{1}{z}$$

$$s = \frac{1}{a} + \frac{1}{z} \cdot \frac{ka}{z}$$



$x = a \sin \gamma$
 $y = a \cos \gamma$

$$(x - u + a \sin \gamma)^2 + (y - v - a \cos \gamma)^2 = a^2$$

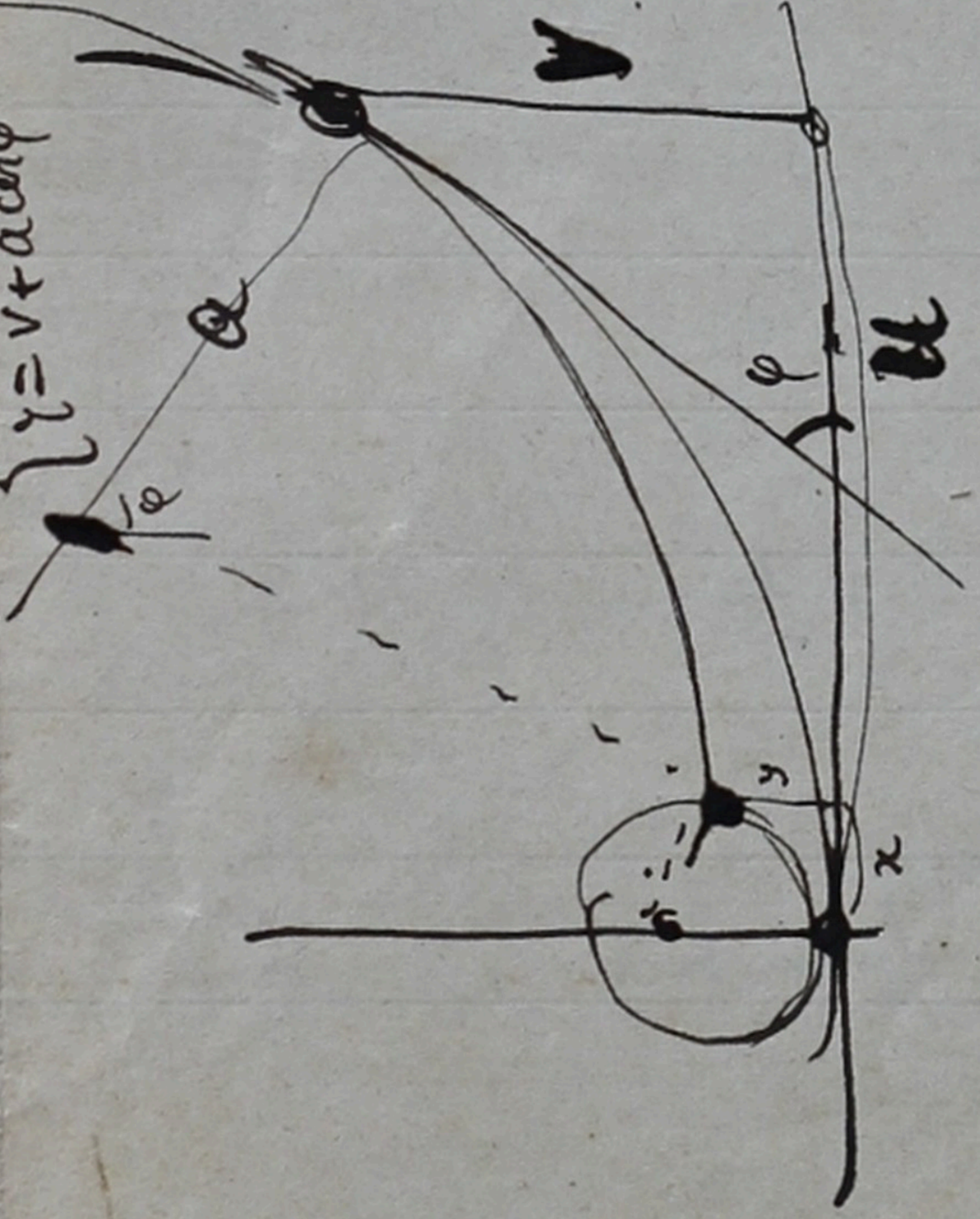


$$x = a \sin \gamma$$

$$y = a \cos \gamma$$

$$x = u - a \sin \gamma$$

$$y = v + a \cos \gamma$$



$$x^2 = 2ay$$

$$(x - u + a \sin \gamma)^2 + (y - v - a \cos \gamma)^2 = a^2$$

$$(x - u)^2 + (y - v)^2 + 2a[(x - u) \sin \gamma - (y - v) \cos \gamma] = 0$$

$$2a \left[(u - x + \sqrt{y}) \frac{1}{2} (u + v) + a(x \sin \gamma - y \cos \gamma) - a(u \sin \gamma - v \cos \gamma) \right] = 0$$

$$2a \left[(a - v - a \cos \gamma) y - \frac{2ay}{2} (u - a \sin \gamma) x + \frac{1}{2} (u + v)^2 \right] = 2a^2 (u \sin \gamma - v \cos \gamma) - \frac{a}{2} (u + v)^2 \geq 0$$

$$(a - v - a \cos \gamma) x^2 - 2a(u - a \sin \gamma) x + a(u + v)^2 - 2a^2 (u \sin \gamma - v \cos \gamma) \geq 0$$

$\sin \gamma + \cos \gamma$

$$(x - u)^2 + (y - v)^2 + 2a[(x - u) \sin \gamma - (y - v) \cos \gamma] = 0$$

$$(x - u - dx)^2 + (y - v - dy)^2 + 2a[(x - u - dx) \sin(\gamma + d\gamma) - (y - v - dy) \cos(\gamma + d\gamma)] = 0$$

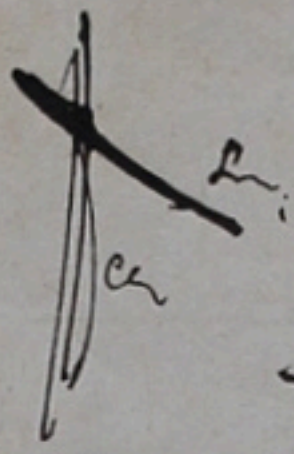
$$(x - u)^2 + dx^2 - 2(x - u)dx + 2[(y - v)dy + dy^2] + 2a[(x - u - dx) \sin(\gamma + d\gamma) - (y - v - dy) \cos(\gamma + d\gamma)] = 0$$

$$+ 2a[(x - u) \sin \gamma + \cos \gamma \cdot dx] - (y - v) \cos \gamma - \sin \gamma \cdot dy - \sin \gamma \cdot dx - \cos \gamma \cdot dy = 0$$

~~2a~~ $2a$

$$x^2 + y^2 = 2ay$$

$$\frac{p^2}{p^2 + t^2} = a$$



$$r = aq$$

$$\frac{a}{p^2} + \frac{b}{r^2} + \frac{c}{s^2} + \frac{\alpha}{p} + \frac{\beta}{r} + \gamma = 0$$

$$p = \alpha + \frac{\beta}{s}$$

$$\frac{a}{p^2} + \frac{b s^2}{\alpha^2 p^2} + \frac{c s}{\alpha p^2} + \frac{\alpha}{p} + \frac{\beta s}{\alpha s} + \gamma = 0$$

Parmi les constantes les un

peuvent être liées d'une autre

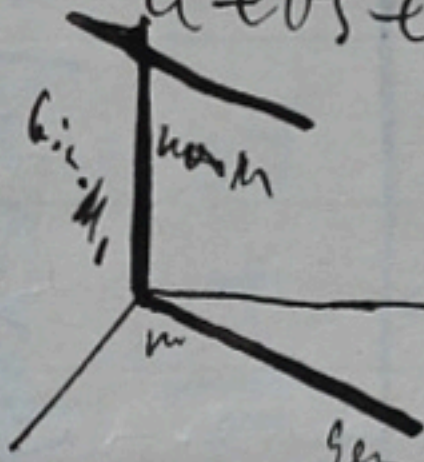
manière il y a des chaînes finies

qui sont les géométries de ces

ou des chaînes de ces liens?

$$\frac{1}{p^2} (a + b s e c s^2) + \frac{2}{p} (\alpha + \beta s) + \gamma = 0$$

$$\frac{1}{p} = \frac{-(\alpha + \beta s) \pm \sqrt{(\alpha + \beta s)^2 - \gamma (a + b s e c s^2)}}{a + b s e c s^2}$$



$$p = \frac{-(\alpha + \beta s + c s) \pm \sqrt{(\alpha + \beta s + c s)^2 - \gamma (a + b s e c s^2)}}{a + b s e c s^2}$$

$$p = \frac{\alpha + \beta s}{\gamma} \pm \sqrt{\dots}$$

son a tous ces

- Parmi les ~~chaînes~~ ~~liens~~ il y a des ~~chaînes~~ ~~liens~~ finies

- Parmi les $\left(\frac{p^2}{t^2} = a\right)$ il y a des chaînes finies qui