Caro Ma,

Mi affretto a mandarle le fatture, prego di aggiungere a ognuna le parole "Visto: Il Direttore:" seguite dalla tua firma. Nel [illegible] [illegible] [illegible], non dimenticare di far raccogliere le lettere [illegible], e di [illegible] avere [illegible] la ricevuta [illegible] postale. — Lo dico "per Schiavo..." [illegible] a L. 566,60. [illegible] le 17 [illegible] del Taitan [illegible] le [illegible], L. 16,40. Se non [illegible] [illegible], [illegible] che [illegible] [illegible] a [illegible] tuo conto [illegible] delle [illegible] [illegible], [illegible]

566,60
17,00
583,60
16,40
600,00

169,70
396,90
566,60

Ma,

Je vous envoie [illegible], de la [illegible] de Milan, [illegible] un chèque de 455,10 [illegible] Qui à [illegible] 223,50, * pour les rendre [illegible] [illegible], [illegible] à [illegible] j'ai [illegible] [illegible] vous faire [illegible] Ma, [illegible] [illegible] [illegible] d'amour.

* [illegible] [illegible] [illegible]

224
56
280
502
782

223,50

Al ....

Napoli addì 190

N.° Prot.° Gen.° ....

N.° di Posiz.° ....

N.° di Part.ª ....

Risposta a ....

del ....

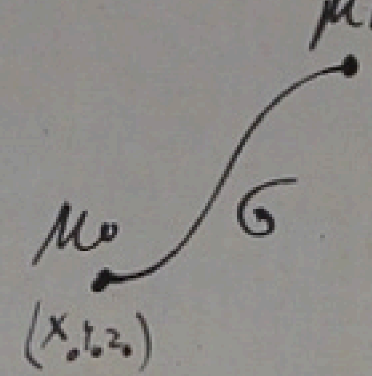
Div. .... *N. di Part.ª* ....

OGGETTO

1

63 sul conto

+ fino al 15



$$\left\{\begin{array}{l|l|l} \frac{\partial u}{\partial x} = a & \frac{\partial v}{\partial x} = h + r & \frac{\partial w}{\partial x} = g - q \\ \frac{\partial u}{\partial y} = h - r & \frac{\partial v}{\partial y} = b & \frac{\partial w}{\partial y} = f + p \\ \frac{\partial u}{\partial z} = g + q & \frac{\partial v}{\partial z} = f - p & \frac{\partial w}{\partial z} = c \end{array}\right.$$

$$\frac{1}{2}\left(\frac{\partial u}{\partial y} + \frac{\partial v}{\partial x}\right) + \frac{1}{2}\left(\frac{\partial v}{\partial x} - \frac{\partial u}{\partial y}\right)$$

$$u = u_0 + \int_\sigma (a\,dx + h\,dy + g\,dz) + \int_\sigma (q\,dz - r\,dy)$$

$$\int_\sigma (q\,dz - r\,dy) = \int\left[r\,d(y_1 - y) - q\,d(z_1 - z)\right] = \left[r(y_1 - y) - q(z_1 - z)\right]_0^1 + $$
$$- \int_\sigma \left[(y_1 - y)\,dr - (z_1 - z)\,dq\right]$$
$$= q_0(z_1 - z_0) - r_0(y_1 - y_0) - \int_\sigma \left[(y_1 - y)\,dr - (z_1 - z)\,dq\right]$$

$$u = u_0 + \int_\sigma (X\,dx + Y\,dy + Z\,dz) + q_0(z_1 - z_0) - r_0(y_1 - y_0)$$

$$X = a - (y_1 - y)\frac{\partial r}{\partial x} + (z_1 - z)\frac{\partial q}{\partial x}$$

a	h	s
h	b	f
s	f	c

$$\frac{\partial r}{\partial x} = \frac{1}{2}\frac{\partial}{\partial x}\left(\frac{\partial v}{\partial x} + \frac{\partial u}{\partial y}\right) - \frac{\partial a}{\partial y} = \frac{\partial h}{\partial x} - \frac{\partial a}{\partial y}$$

$$\frac{\partial q}{\partial x} = \frac{1}{2}\frac{\partial}{\partial x}\left(\frac{\partial u}{\partial z} + \frac{\partial w}{\partial x}\right) + \frac{\partial a}{\partial z} = \frac{\partial a}{\partial z} - \frac{\partial g}{\partial x}$$

$$u = u_0 + q_0(z_1 - z_0) - r_0(y_1 - y_0) + \int_\sigma (X\,dx + Y\,dy + Z\,dz).$$

$$\left.\begin{array}{l} X = a + \left(\frac{\partial a}{\partial y} - \frac{\partial h}{\partial x}\right)(y_1 - y) + \left(\frac{\partial a}{\partial z} - \frac{\partial g}{\partial x}\right)(z_1 - z) \\ Y = h + \left(\frac{\partial h}{\partial y} - \frac{\partial b}{\partial x}\right)(y_1 - y) + \left(\frac{\partial h}{\partial z} - \frac{\partial f}{\partial x}\right)(z_1 - z) \\ Z = g + \left(\frac{\partial g}{\partial y} - \frac{\partial f}{\partial x}\right)(y_1 - y) + \left(\frac{\partial g}{\partial z} - \frac{\partial c}{\partial x}\right)(z_1 - z) \end{array}\right\}$$