

$$(x, y, z) = (1, 1, 1)$$

$$x + y + z = 0$$

$$\frac{z}{r} = -\frac{\eta}{\xi}$$

$$\tan \varphi = -\frac{\xi}{\eta}$$

$$\tan \psi = -\frac{\xi}{\eta}$$

$$\xi = v y - \mu z = v h$$

$$\eta = z - v x = v(s + a p r l)$$

$$\zeta = \mu x - \lambda y = \mu(s + a p r l) + \lambda h$$

$$\tan \varphi = + \frac{\mu(s + a p r l) + \lambda h}{v(s + a p r l)}$$

$$\tan \varphi = \frac{\mu l}{\rho} + \frac{\lambda h}{\rho(s + a p r l)}$$

$$\mu l$$

$$g = l v$$

$$\tan \varphi =$$

$$\tan \varphi = \frac{\mu l(s + a p r l) + g s}{\rho(s + a p r l)}$$

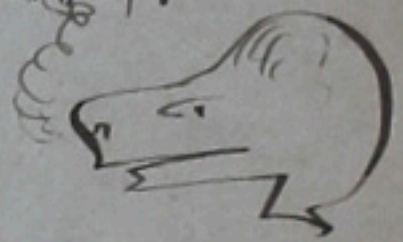
De Vi

$$\tan \varphi = \frac{\mu g(s + a p r l) + \frac{g^2}{\rho}}{\rho(s + a p r l)} \cdot \frac{l}{g}$$

$$\tan \varphi = \frac{g s}{\rho}$$

$$s + a p r l$$

$$r = \frac{g s}{\mu(s + a p r l)}$$



$$\tan \varphi = \frac{r \mu l}{g \rho(s + a p r l)}$$

$$\tan \varphi = -\frac{r s'}{\rho}$$

$$\frac{\tan \varphi'}{\rho}$$

Ceru

$$\tan \varphi' = -\frac{r s'}{\rho} = -\frac{\xi}{\eta}$$

$$\xi = v g$$

$$\eta = v(s + a p r l)$$

$$\zeta = -\mu(s + a p r l) - \lambda g$$

$$(s + s s') (1 - a') = -\frac{g s}{\rho} (1 + a p r l)$$

$$-\frac{g s s'}{\rho} = \lambda g + \mu(s + a p r l) \quad -\frac{r s'}{\rho} = + \frac{\mu(s + a p r l) + \lambda g}{\rho(s + a p r l)} l$$

$$\frac{g}{\rho} (s + s s') = -\mu(s + a p r l)$$

